






Calculator Practice

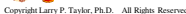



Be Thankful Rome Fell, Otherwise Your Calculator Might Be

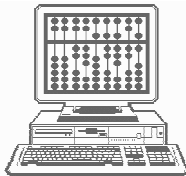





607 + 108 = 715

Calculators








Calculators are tools

You still must furnish the thinking







Establish units and sig figs

GI → GO (Garbage In → Garbage Out!)






Calculator Types


<p>Basic simple arithmetic</p>  <p>Graphing mathematical expressions</p>  	<p>Scientific exponents, logs, trig scientific notation</p>   
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Two Types of Scientific Calculators:

<p>Algebraic Texas Instruments (TI) Standard algebra Simple strategy Intuitive for most Uses Brackets Slows calculations Matching errors Uses = to display result</p> 	<p>Reverse Polish Notation (RPN) Hewlett Packard (HP) Reverse Polish Notation More complex strategy Requires time to master Brackets Not Needed Extremely fast No bracket errors No = key; auto display</p> 
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Calculators

You should be able to do:

Arithmetic: +, -, x, /

Express as Scientific Notation
(both + and - exponents)

Need logarithms for higher level chemistry



CAUTION

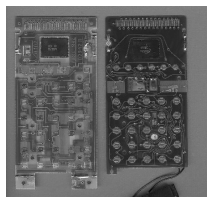
THIS MACHINE

HAS NO BRAIN

USE YOUR OWN

Graphing calculators & cell phone
not allowed for exams in CEM 101
(Keeps everyone on same page)

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Scientific Notation Display

The calculator integrated circuit:

Different processes for coefficient & exponent
Display combines results

Scientific notation requires separate entry for:
coefficient and exponent parts of a number

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Algebraic -Type Scientific Notation

Coefficient & Exponent entered in different modes



Keystrokes for 1.23×10^{99}

1.23 EE 99

E
EXP
SCI
 10^x
^

NOT a Multiplication
 $1.23 \times \text{EE } 99$



Common Error

Your Calculator's Key for designating exponent entry
Informs calculator: keypad is now entering exponent
Some TI's have BOTH EE or 10^x and ^

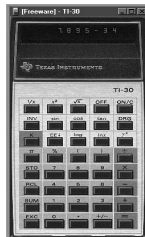
Practice to ensure calculator displays desired input

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Algebraic -Type Scientific Notation

Coefficient & Exponent entered in different modes



Keystrokes for 7.895×10^{-34}

7.895 EE 34 Chs

E

(-)

^

(+/-)

EXP

SCI

10^x

Key for exponent sign

Your Calculator's Key for designating exponent entry
Informs calculator: keypad is now entering exponent
Some TI's have BOTH EE or 10^x and ^

Practice to ensure calculator displays desired input

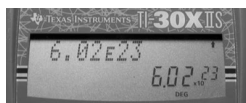
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The "E" (for exponent)

Some calculators indicate the exponent with an e

6.02E23



This is 6.02×10^{23}

It is incorrect to report this as 6.02e23



e, in science, is symbol for the natural log
e has a value of ~ 2.71828
 e^{23} is $\sim 9.74 \times 10^9$

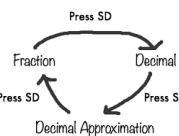
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Casio 300 ES Display



Use S ↔ D Key
(Toggles Mode)



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This Will Check For Correct Scientific Notation:

$$2.30 \times 10^{22} \text{ fu} \times \frac{1 \text{ mole}}{6.02 \times 10^{23} \text{ fu}} \times \frac{110.98 \text{ g}}{\text{mole}} = 4.2401 \text{ g} \rightarrow 4.24 \text{ g}$$

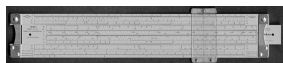
If you get ***** E46

You must use brackets for scientific notation calculations
(Mass of earth = $5.97 \times 10^{27} \text{ g}$)

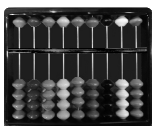


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Use Your Calculator On the Problems That Follow



Calculator confidence on exams is a necessity
Practice with device you will use on exams



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Practice Using Only Exponents

$$10^2 + 10^2 =$$

$$10^3 \times 10^5 =$$

$$10^5 \times 10^{-8} =$$

$$10^9 / 10^4 =$$

$$10^7 / 10^{-8} =$$

$$10^{-5} / 10^{-7} =$$

$$10^0 / 10^3 =$$

$$10^0 / 10^0 =$$

$$10^0 + 10^0 =$$



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Practice Using Only Exponents

$$10^2 + 10^2 = 2 \times 10^2$$

$$10^3 \times 10^5 = 10^8$$

$$10^5 \times 10^{-8} = 10^{-3}$$

$$10^9 / 10^4 = 10^5$$

$$10^7 / 10^{-8} = 10^{15}$$

$$10^{-5} / 10^{-7} = 10^2$$

$$10^0 / 10^3 = 10^{-3}$$

$$10^0 / 10^0 = 10^0$$

$$10^0 + 10^0 = 2$$



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Complex Calculations

Algebraic calculators may require () 's for multiple operations

Try these (without isolating individual steps) on YOUR calculator

You need to know when YOUR calculator requires brackets

$$(15.90 \times 10^{-3}) / (4.470 \times 10^{-3}) =$$

$$(7.24 \times 10^{-2}) \times [(2.68 \times 10^7) / (25.6 \times 10^{-4})] =$$

$$[(125) / (4.20 \times 10^{-6})] \times [(458 \times 10^{-9}) (345) / 10.3] =$$

$$V_2 = \frac{(485 \text{ torr}) (14.7 \text{ L}) (273 \text{ K})}{(368 \text{ K}) (760 \text{ torr})} =$$

$$\% \text{ Water} = \frac{90.08}{(159.62 + 90.08)} \times 100 =$$



Practice, Practice, Practice!

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Complex Calculations

Algebraic calculators may require () 's for multiple operations

Try these (without isolating individual steps) on YOUR calculator

You need to know when YOUR calculator requires brackets

$$(15.90 \times 10^{-3}) / (4.470 \times 10^{-3}) = 3.557$$

$$(7.24 \times 10^{-2}) \times [(2.68 \times 10^7) / (25.6 \times 10^{-4})] = 7.58 \times 10^8$$

$$[(125) / (4.20 \times 10^{-6})] \times [(458 \times 10^{-9}) (345) / 10.3] = 4.57 \times 10^2$$

$$V_2 = \frac{(485 \text{ torr}) (14.7 \text{ L}) (273 \text{ K})}{(368 \text{ K}) (760 \text{ torr})} = 6.95922 \text{ L} \rightarrow 6.96 \text{ L}$$

$$\% \text{ Water} = \frac{90.08}{(159.62 + 90.08)} \times 100 = 36.08 \%$$



Practice, Practice, Practice!

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Unit Arithmetic

Solve these with your calculator

Indicate which problems cannot be manually done as written

1. $15.3 \times 10^{-7} \text{ m} + 9.7 \times 10^{-7} \text{ m} =$

2. $(4.86 \times 10^{10} \text{ mm}) \times (7.20 \times 10^6 \text{ mm}) =$

3. $(6.49 \times 10^{-3} \text{ cm}^3) / (1.56 \times 10^{-4} \text{ cm}^2) =$

4. $2.330 \times 10^4 \text{ L} + 6.180 \times 10^3 \text{ L} =$

5. $(15.90 \times 10^{-3} \text{ g}) / (4.470 \times 10^{-3} \text{ mL}) =$

6. $2.14 \times 10^1 \text{ g/mL} \times (5.00 \times 10^1 \text{ mL}) =$

7. $5.22 \times 10^{-3} \text{ g} - 2.18 \times 10^{-3} \text{ g} =$

8. $9.7800 \times 10^4 \text{ km} - 6.9100 \times 10^2 \text{ km} =$



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Unit Arithmetic



Manually: for + or -, the exponents & units must be equal
With calculator: just enter the numbers and calculate

- $15.3 \times 10^{-7} \text{ m} + 9.7 \times 10^{-7} \text{ m} = 2.5 \times 10^{-6} \text{ m}$ or $25 \times 10^{-7} \text{ m}$
- $(4.86 \times 10^{10} \text{ mm}) \times (7.20 \times 10^6 \text{ mm}) = 3.50 \times 10^{17} \text{ mm}^2$
- $(6.49 \times 10^{-3} \text{ cm}^3) / (1.56 \times 10^{-4} \text{ cm}^2) = 4.16 \times 10^1 \text{ cm}$
- $2.330 \times 10^4 \text{ L} + 6.180 \times 10^3 \text{ L} = 2.948 \times 10^4 \text{ L}$
- $(15.90 \times 10^{-3} \text{ g}) / (4.470 \times 10^{-3} \text{ mL}) = 3.557 \times 10^0 \text{ g/mL}$
- $2.14 \times 10^1 \text{ g/mL} \times (5.00 \times 10^1 \text{ mL}) = 1.07 \times 10^3 \text{ g}$
- $5.22 \times 10^{-3} \text{ g} - 2.18 \times 10^{-3} \text{ g} = 3.04 \times 10^{-3} \text{ g}$
- $9.7800 \times 10^4 \text{ km} - 6.9100 \times 10^2 \text{ km} = 9.7109 \times 10^4 \text{ km}$



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Unit Conversions



Key

Write final desired unit to the right of the =

Write what units you know on the far left of the =

Is unit on the left of the = the same as the unit on the right?

Yes, you are done ... calculate result

No, make it go away ("cancel units") with the next term

Continue "canceling" until units on left = units on right

Write all conversions as linear "string" of fractions

Do not calculate anything until units agree!



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Unit Conversions

Convert 19.4×10^{-4} kilograms to grams

Problem: ? g

Given: 19.4×10^{-4} kilograms

We know: $1000 \text{ g} = 1 \text{ kg}$



Put known units on the left; desired units on right

$19.4 \times 10^{-4} \text{ kg} = ? \text{ g}$

Add conversions to cancel units

$19.4 \times 10^{-4} \text{ kg} \times \frac{1000 \text{ g}}{1 \text{ kg}} = ? \text{ g}$

Do the math

$19.4 \times 10^{-4} \text{ kg} \times \frac{1000 \text{ g}}{1 \text{ kg}} = 1.94 \text{ g}$

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Unit Conversions

A pool contains 5.0×10^7 L of water.
Convert this number of Liters to milliliters

Problem: ? mL
Given: 5.0×10^7 L
We know: $1000 \text{ mL} = 1 \text{ L}$



Put known units on the left; desired units on right
 $5.0 \times 10^7 \text{ L} = ? \text{ mL}$

Add conversions to cancel units

$$5.0 \times 10^7 \text{ L} \times \frac{1000 \text{ mL}}{1 \text{ L}} = ? \text{ mL}$$

Do the math

$$5.0 \times 10^7 \text{ L} \times \frac{1000 \text{ mL}}{1 \text{ L}} = 5.0 \times 10^{10} \text{ mL}$$

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Unit Conversions

The human eye is most sensitive to light with a wavelength of 5.55×10^{-9} m. What is this wavelength in millimeters?

Problem: ? mm
Given: 5.55×10^{-9} m
We know: $1000 \text{ mm} = 1 \text{ m}$



Put known units on the left; desired units on right
 $5.55 \times 10^{-9} \text{ m} = ? \text{ mm}$

Add conversions to cancel units

$$5.55 \times 10^{-9} \text{ m} \times \frac{1000 \text{ mm}}{1 \text{ m}} = ? \text{ mm}$$

Do the math

$$5.55 \times 10^{-9} \text{ m} \times \frac{1000 \text{ mm}}{1 \text{ m}} = 5.55 \times 10^{-6} \text{ mm}$$

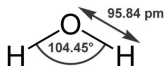
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Unit Conversions

The length of the O-H bond in water is 9.6×10^{-11} m.
What is the distance in cm?

Problem: ? cm
Given: 9.6×10^{-11} m
We know: $100 \text{ cm} = 1 \text{ m}$



Put known units on the left; desired units on right
 $9.6 \times 10^{-11} \text{ m} = ? \text{ cm}$

Add conversions to cancel units

$$9.6 \times 10^{-11} \text{ m} \times \frac{100 \text{ cm}}{1 \text{ m}} = ? \text{ cm}$$

Do the math

$$9.6 \times 10^{-11} \text{ m} \times \frac{100 \text{ cm}}{1 \text{ m}} = 9.6 \times 10^{-9} \text{ cm}$$

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Unit Conversions

The distance from the earth to the sun is 1.5×10^8 kilometers.
Calculate this number as millimeters

Problem: ? mm

Given: Distance is 1.5×10^8 kilometers

We know: $1000 \text{ mm} = 1 \text{ m}$; $1000 \text{ m} = 1 \text{ km}$



Put known units on the left; desired units on right

$$1.5 \times 10^8 \text{ km} = ? \text{ mm}$$

Add conversions ("per" expression) to cancel units

$$1.5 \times 10^8 \text{ km} \times \frac{1000 \text{ m}}{1 \text{ km}} \times \frac{1000 \text{ mm}}{1 \text{ m}} = ? \text{ mm}$$

Do the math

$$1.5 \times 10^8 \text{ km} \times \frac{1000 \text{ m}}{1 \text{ km}} \times \frac{1000 \text{ mm}}{1 \text{ m}} = 1.5 \times 10^{14} \text{ mm}$$

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Unit Conversions

Calculate the number of ounces in 1.60×10^4 tons of coal.

Problem: ? oz

Given: 1.60×10^4 tons

We know: $16 \text{ oz} = 1 \text{ lb}$; $2000 \text{ lb} = 1 \text{ ton}$



Put known units on the left; desired units on right

$$1.60 \times 10^4 \text{ tons} = ? \text{ oz}$$

Add conversions to cancel units

$$1.60 \times 10^4 \text{ ton} \times \frac{2000 \text{ lbs}}{1 \text{ ton}} \times \frac{16 \text{ oz}}{1 \text{ lbs}} = ? \text{ oz}$$

Do the math

$$1.60 \times 10^4 \text{ ton} \times \frac{2000 \text{ lbs}}{1 \text{ ton}} \times \frac{16 \text{ oz}}{1 \text{ lbs}} = 5.12 \times 10^8 \text{ oz}$$

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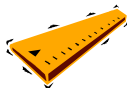
Unit Conversions

Determine the number of centimeters in 8.6×10^{-9} km.

Problem: ? cm

Given: 8.6×10^{-9} km

We know: $100 \text{ cm} = 1 \text{ m}$; $1000 \text{ m} = 1 \text{ km}$



Put known units on the left; desired units on right

$$8.6 \times 10^{-9} \text{ km} = ? \text{ cm}$$

Add conversions to cancel units

$$8.6 \times 10^{-9} \text{ km} \times \frac{1000 \text{ m}}{1 \text{ km}} \times \frac{100 \text{ cm}}{1 \text{ m}} = ? \text{ cm}$$

Do the math

$$8.6 \times 10^{-9} \text{ km} \times \frac{1000 \text{ m}}{1 \text{ km}} \times \frac{100 \text{ cm}}{1 \text{ m}} = 8.6 \times 10^{-4} \text{ cm}$$

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Unit Conversions

Convert 3.59×10^{-2} kg to mg.

Problem: ? mg

Given: 3.59×10^{-2} kg

We know: $1000 \text{ mg} = 1 \text{ g}$; $1000 \text{ g} = 1 \text{ kg}$



Put known units on the left; desired units on right

$3.59 \times 10^{-2} \text{ kg} = ? \text{ mg}$

Add conversions to cancel units

$3.59 \times 10^{-2} \text{ kg} \times \frac{1000 \text{ g}}{1 \text{ kg}} \times \frac{1000 \text{ mg}}{1 \text{ g}} = ? \text{ mg}$

Do the math

$3.59 \times 10^{-2} \text{ kg} \times \frac{1000 \text{ g}}{1 \text{ kg}} \times \frac{1000 \text{ mg}}{1 \text{ g}} = 3.59 \times 10^4 \text{ mg}$

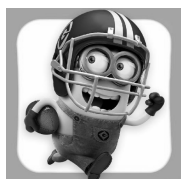
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Practical Problem

If a football running back runs the 40.0 yard dash in 4.40 seconds, what is this speed in miles / hour?

$\frac{40.0 \text{ yd}}{4.40 \text{ sec}} \times \frac{3 \text{ ft}}{1 \text{ yd}} \times \frac{1 \text{ mile}}{5280 \text{ ft}} \times \frac{60 \text{ sec}}{1 \text{ min}} \times \frac{60 \text{ min}}{1 \text{ hr}} = 18.6 \text{ mi/hr}$



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Practical Problem

The US population is $\sim 3.4 \times 10^8$ people. Virologists suggest that 80% of the population needs to be vaccinated to provide reasonable "herd immunity." How many people need to be vaccinated per day to reach this level of protection in 6 months (180 days)?

$3.4 \times 10^8 \text{ people} \times 0.80 \times \frac{1}{180 \text{ days}} = 1.5 \times 10^6 \text{ people / day}$



Let the units drive the solution

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Practical Problem

The US population is $\sim 3.4 \times 10^8$ people. Virologists suggest that 80% of the population needs to be vaccinated to provide reasonable “herd immunity.” The initial vaccination rate was ~ 4 million doses per month. At this rate, how long will it take to reach “herd immunity?”

$$3.4 \times 10^8 \text{ doses} \times 0.80 \times \frac{1 \text{ month}}{4 \times 10^6 \text{ doses}} = 68 \text{ months} \quad (5.6 \text{ years})$$



Let the units drive the solution

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Practical Problem

Chicago uses 1.2×10^9 gallons of water /day. How many gallons per second must be pumped from the lake every second to supply the city?

$$1.2 \times 10^9 \frac{\text{gal}}{\text{day}} \times \frac{1 \text{ day}}{24 \text{ hours}} \times \frac{1 \text{ hour}}{60 \text{ min}} \times \frac{1 \text{ min}}{60 \text{ sec}} = 1.4 \times 10^4 \frac{\text{gal}}{\text{sec}}$$

Lake Michigan holds 1.3×10^{15} gallons of water. If just Chicago removed water from the lake and it never rained again, how many days would the water last?

$$1.3 \times 10^{15} \text{ gal} \times \frac{1 \text{ sec}}{1.4 \times 10^4 \text{ gal}} \times \frac{1 \text{ min}}{60 \text{ sec}} \times \frac{\text{hours}}{60 \text{ min}} \times \frac{1 \text{ day}}{24 \text{ hours}} = 1.1 \times 10^6 \text{ days}$$

$$1.1 \times 10^6 \text{ days} \times \frac{1 \text{ year}}{365.25 \text{ days}} = 2.9 \times 10^3 \text{ years}$$

Let the units drive the solution

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Static Electricity is $\sim 10,000$ volts per inch.

The longest documented lightning strike is 441 miles.

What voltage is associated with this lightning strike?

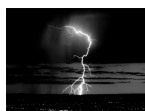
$$441 \text{ miles} \times \frac{5,280 \text{ ft}}{1 \text{ mi}} \times \frac{12 \text{ in}}{1 \text{ ft}} \times \frac{10,000 \text{ volts}}{1 \text{ in}} = 2.79 \times 10^{11} \text{ volts}$$

This is 279 billion volts!

This lightning strike covered the 441 miles in 16.4 seconds.

What is the lightning speed in miles / hour?

$$\frac{441 \text{ miles}}{16.4 \text{ sec}} \times \frac{60 \text{ sec}}{1 \text{ min}} \times \frac{60 \text{ min}}{1 \text{ hr}} = 9.68 \times 10^4 \text{ mph}$$



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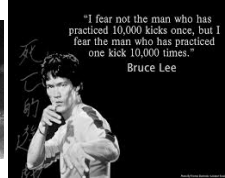
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Practice, Practice, Practice

NASA Says
Perfect Practice Prevents Poor Performance
Practice, Practice, Practice
Unit Practice Problems & Unit Practice Quizzes



**DON'T PRACTICE
UNTIL YOU GET IT
RIGHT. PRACTICE
UNTIL YOU CAN'T
GET IT WRONG.**
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